Exotic Structures of Si₂B₂H₄

Eluvathingal D. Jemmis,^{*,†} Govindan Subramanian,^{†,‡} Anatoli A. Korkin,[‡] Matthias Hofmann,[‡] and Paul v. R. Schleyer^{*,‡}

School of Chemistry, University of Hyderabad, Hyderabad 500 046, India, and Computer Chemistry Center, Institut für Organische Chemie I, Universität Erlangen-Nürnberg, Henkestrasse 42, D-91054 Erlangen, Germany

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The potential energy surface of $Si_2B_2H_4$, explored *ab initio* at the MP2/6-31G* and density functional theory, Becke3LYP/6-311+G** levels, is rich in detail. Twelve minima were found out of the 39 stationary points located. 1,3-Disiladiboretene (**1a**), with a puckered four-membered ring, is predicted to be the global minimum. Its calculated inversion barrier (1.2 kcal/mol), however, is much lower than that of the analogous 1,3-diboretene (17.0 kcal/mol). The relative energies of two other $Si_2B_2H_4$ isomers (**5** and **7**) with B-H-Si bridges are only 2.0 kcal/mol above **1a**. The relative energies of **9** and **15a**, both with planar pentacoordinate borons, are 7.3 and 27.1 kcal/mol. The acyclic (**18**) and linear (**22a,b**) isomers are noncompetitive energetically. Many other $Si_2B_2H_4$ silaboranes, possessing similar structures and bonding as the corresponding carboranes, are calculated to be saddle points. In general, hydrogen bridging and cyclic π -delocalization stabilize $Si_2B_2H_4$ isomers, while structures with multiply bonded silicon are unfavorable.

Introduction

Theoretical calculations first revealed the cyclobutadiene dication $(C_4H_4^{2+})^1$ to be nonplanar (Figure 1) despite being Hückel 2π electron aromatic.² Subsequently, the excellent agreement between the computed NMR-IGLO chemical shifts³ and the experimental values⁴ provided conclusive evidence for the nonplanarity of the tetramethyl derivative $C_4(CH_3)_4^{2+}$. The neutral isoelectronic 1,3-diboretene (1,3- $C_2B_2H_4$) and 1,3- $C_2B_2H_2(NH_2)_2$ also have nonplanar geometries and similar electronic structures.⁵ Moreover, the theoretical predictions were verified subsequently by X-ray crystallography on 1,3-*t*-Bu₂C₂(BNMe₂)₂^{6b} and on other derivatives.^{6a,c-g} However, Korkin *et al.*'s^{7a} recent computations found Si₄H₄²⁺, the homologue of C₄H₄²⁺, to be nearly planar.⁷ What is the situation with 1,3-disiladiboretene (1,3-Si₂B₂H₄)?

While the potential energy surfaces (PES) of $C_4H_4^{2+}$ and $Si_4H_4^{2+}$ have not been explored fully,^{1b,7} *ab initio* MO studies revealed remarkable structural variations for $C_2B_2H_4$ isomers.⁸ The resulting fruitful interplay between theory and experiment guided the synthesis of many $C_2B_2R_4$ isomers by Berndt and co-workers.⁹ Such successes serve as additional stimuli for the present exploration of the PES of $Si_2B_2H_4$.

The experimental literature on silaboranes is rather scarce.¹⁰ The recent synthesis and X-ray structure determination of icosahedral mono- and disilaboranes by Seyferth, Wesemann, and their co-workers¹⁰ mark the beginning of the combined boron-silicon chemistry. Smaller silaboranes like SiBH_n (n = 1-5),¹¹ SiB₂H₄,^{12a} and Si₂BH₃^{12b} have been explored only computationally. These studies point to a structural correlation between boranes and silaboranes, i.e. the analogy between trivalent boron and divalent silicon moieties.¹³ Thus, by equating a B–H bond pair to Si: (σ lone pair), the doubly bridged Si(μ -H)₂Si ($C_{2\nu}$)¹⁴ and Silacyclopropenylidene (C₂H₂-Si)^{15a,c} are related to the doubly bridged B₂H₄ (HB(μ -H)₂BH, $C_{2\nu}$) and to borirene (C₂H₂BH, $C_{2\nu}$).¹⁶

Further ab initio studies on small silicon compounds17 have



Figure 1. Becke3LYP/6-311+G** optimized geometries of $C_4H_4^{2+}$, 1,3- $C_2B_2H_4$, and $Si_4H_4^{2+}$.

shown that the structural preferences can be quite different from those of the corresponding carbon compounds. For example, $Si(\mu-H)_2Si$ was predicted to be the global minimum on the PES of $Si_2H_2^{17c}$ rather than HSi \equiv SiH, and this was verified spectroscopically.¹⁴ Similarly, silylsilylene (HSi-SiH₃) and HSi(μ -H)₂SiH were calculated to be energetically competitive alternatives to disilene (H₂Si \equiv SiH₂).^{17d} The spectroscopic identification of HSi(μ -H)Si^{18a} (after its theoretical prediction)^{17c} and the X-ray structure of a silylene chelate complex^{18b} confirm the stability of molecules with divalent silicon. Systematic

[†] University of Hyderabad.

[‡] Universität Erlangen-Nürnberg.

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Figure 2. Becke3LYP/6-311+G** optimized geometries (distances in angstroms and angles in degrees) for 1–23.

investigations of silicon-phosphorus compounds (SiH_mPH_n, m + n = 0-5) at the G2 level also indicate preference for structures with divalent silicon.¹⁹ The multicenter bonded B-H-B and Si-H-Si moieties in boranes and silicon hydrides predicted theoretically¹¹⁻¹³ and observed experimentally^{14,18} suggest similar bonding characteristics (B-H-Si) for the hybrid, silaboranes, in addition to structures with low-valent silicon.

Hence, unusual structures and energies of $Si_2B_2H_4$ isomers, compared with boranes, carboranes, and silicon hydrides, can be expected. The parent compounds might be observed in the gas phase or in matrix isolation. Hydrogen-bridged and other structures might be realized in condensed phases when bulky substituents are present. There are numerous precedents.^{6,9,14,18} We have employed *ab initio* MO and DFT computations to explore the intriguing structural diversity of the $Si_2B_2H_4$ PES.

Computational Details

The geometries (Figure 2) were optimized at the electroncorrelated MP2(fc)/ $6-31G^*$ (MP2)^{20a} and Becke3LYP/ $6-311+G^{**}$ (B3LYP)^{20c-e} levels using the Gaussian 92/DFT and Gaussian 94 program packages.²¹ The nature of the stationary points were characterized by analytically computed frequencies both at MP2 and B3LYP. The total, relative, and zero-point energies are given in Table 1. Relative energies computed at MP2 include scaled (0.95) zero-point vibrational energy corrections.^{20b} No scaling was used for the B3LYP zero-point vibrational energies.²² The stability order of all the structures is comparable at both levels of theory. Hence, only the B3LYP geometries and energies are discussed.²³ Natural population analysis (NPA) charges^{24a,b} and Wiberg bond indices (WBIs)^{24c,d} for all minimum-energy structures are given in Figure 3.

Results and Discussion

Nonplanar 1,3-disiladiboretene ($C_{2\nu}$, **1a**), the most stable Si₂B₂H₄ isomer, is puckered²⁵ by 24.2° and has an inversion barrier of only 1.2 kcal/mol via the D_{2h} transition structure **1b**. The analogous 1,3-diboretene ($C_{2\nu}$) is low in energy, but is not the C₂B₂H₄ global minimum.⁸ The isovalent and isoelectronic C₄H₄²⁺ and Si₄H₄²⁺ also prefer similar puckered structures

TABLE 1: Total (hartrees), Relative (kcal/mol), and Zero-Point Vibrational Energies (ZPE, kcal/mol) for 1–23 at the MP2-fc/ 6-31G* (MP2) and BECKE3LYP/6-311+G** (B3LYP) Levels of Optimization (The Number of Imaginary Frequencies (NIM) Are Given in Parentheses)

		total e	nergy	relative energy		ZPE (NIM)	
no.	sym.	MP2	B3LYP	MP2	B3LYP	MP2	B3LYP
$C_4H_4^{2+}$	D_{4h}	-153.343 58	-153.886 52	10.9	8.7	39.0(1)	38.4(1)
$C_4 H_4^{2+}$	D_{2d}	-153.360 80	-153.899 86	0.0	0.0	38.9(0)	38.1(0)
$C_2B_2H_4$	D_{2h}	-127.73646	-128.26499	20.7	17.0	35.3(1)	34.5(1)
$C_2B_2H_4$	C_{2v}	-127.769 89	-128.292 46	0.0	0.0	35.6(0)	34.7(0)
$Si_4H_4^{2+}$	D_{4h}	-1157.528 95	-1159.686 11	-0.2	-0.5	22.4(1)	21.4(1)
$Si_4H_4^{2+}$	D_2	-1157.529 04	-1159.686 70	0.0	0.0	22.7(0)	22.3(0)
1a	C_{2v}	-629.747 37	-631.073 66	0.0	0.0	27.0(0)	26.2(0)
1b	D_{2h}	-629.743 77	-631.071 38	2.1	1.2	26.8(1)	26.0(1)
2a	C_2	-629.735 24	-631.063 29	7.3	6.2	26.7(0)	25.9(0)
2b	C_{2v}	-629.72756	-631.059 20	12.0	8.7	26.5(1)	25.8(1)
2c	C_{2v}	-629.70049	-631.026 19	28.3	28.2	25.8(1)	25.2(1)
3a	D_{2h}	-629.730 83	-631.059 66	9.3	7.4	25.9(3)	24.8(3)
3b	D_{2h}	-629.708 14	-631.035 65	24.6	23.6	27.0(1)	25.9(1)
3c	D_2	-629.738 11	-631.064 24	5.7	5.3	26.9(1)	25.6(1)
4a	D_{2h}	-629.725 64	-631.048 81	13.9	15.4	27.3(1)	26.0(1)
4b	D_{2h}	-629.611 74	-630.958 06	82.9	71.0	24.7(3)	24.7(2)
4 c	C_{2v}	$-629.726\ 00$	-631.059 20	13.1	8.2	26.7(1)	25.3(1)
5	C_1	-629.746 68	-631.070 74	1.3	2.0	27.9(0)	26.4(0)
6	C_2	-629.735 41	-631.058 10	9.5	10.9	29.1(0)	27.3(0)
7	C_s	-629.747 04	-631.070 28	0.1	2.0	26.9(0)	26.1(0)
8a	C_{2v}	-629.74502	-631.069 59	0.7	1.9	26.2(1)	25.5(1)
8b	C_{2v}	-629.694 06	-631.021 29	32.3	31.9	25.8(2)	25.2(2)
9	C_s	-629.746 69	-631.064 18	2.0	7.3	28.7(0)	27.6(0)
10	C_1	-629.734 45	-631.055 08	8.7	11.3	27.6(0)	25.8(0)
11a	C_{2v}	-629.646 80	-630.988 23	63.4	53.6	27.3(2)	26.2(2)
11b	C_{2v}	-629.729 47	-631.050 61	13.4	16.2	29.3(0)	27.9(0)
11c	C_s	-629.715 32	-631.044 77	20.8	18.4	27.7(1)	26.5(1)
12	C_{2v}	-629.601 34	-630.952 02	90.9	73.4	26.2(3)	23.3(3)
13	C_{2v}	-629.657 40	-630.97450	61.2	61.2	32.0(1)	25.2(1)
14a	C_{2v}	-629.686 26	-631.019 66	36.4	32.3	24.9(1)	24.6(1)
14b	C_{2v}	-629.615 73	-630.958 33	79.3	70.5	23.5(3)	24.3(2)
15a	C_{2v}	-629.701 03	-631.027 84	28.1	27.1	26.0(0)	24.5(0)
15b	C_{2v}	-629.697 28	-631.024 62	30.9	29.8	26.4(2)	25.2(2)
16	C_{2v}	-629.616 55	-630.951 51	81.2	76.2	26.1(3)	25.7(3)
17	C_{2v}	-629.556 81	-630.909 93	115.9	98.8	23.1(4)	22.3(4)
18	C_2	-629.658 51	-631.009.23	53.8	38.2	24.9(0)	24.0(0)
19a	C_{2v}	-629.682 02	-631.019 47	41.1	33.9	27.1(2)	26.1(1)
19b	C_{2v}	-629.660 45	-630.998 18	54.2	46.7	26.6(2)	25.5(2)
20	C_{2v}	-629.603 41	-630.947 84	87.5	76.2	24.0(3)	23.4(3)
21a	D_{2h}	-629.658 77	-630.989 79	55.8	52.2	27.2(2)	25.8(3)
21b	D_{2d}	-629.666 90	-631.006 71	50.6	41.8	27.1(2)	26.0(2)
22a	D_{2h}	-629.621 57	-630.958 76	79.0	70.5	27.1(0)	24.6(0)
226	D_{2d}	-629.644.69	-630.998 45	62.0	44.9	24.4(0)	23.9(0)
23a	C_{2v}	-629.607 57	-630.950 37	85.2	73.8	24.4(2)	22.6(2)
23b	C_{2h}	-629.623 69	-630.967 01	77.0	65.6	26.3(1)	24.9(1)

(Figure 1).^{1b,7} We have refined the calculations on these isoelectronic and isovalent systems at uniform levels of theory (MP2 and B3LYP) to enable direct comparisons. Table 2 reveals the excellent correlation between the relative energies (ΔE) , the puckering angles $(\Delta \Theta)$, and the shortening of the transannular distance (ΔD) upon folding. In addition, a comparison of the molecular orbitals (MOs) of the two forms (for example 1a, 1b in Scheme 1) shows that the 1,3-antibonding interaction (b_{2u}) of the σ orbitals in the planar structure diminishes on puckering (b₂).^{5a} This stabilizing interaction ($\Delta\sigma$ $= E_{b2} - E_{b2u}$) also follows the trends in relative energies (Table 2). Unlike the σ framework, the π orbital has positive 1,3 overlap (b_{3u}), which is destabilized marginally ($\Delta \pi = E_{a1}$ – E_{b3u}) upon puckering (Scheme 1). However, the net effect of the σ and π MOs is stabilizing, except for Si₄H₄²⁺. This qualitative interpretation is reflected in the increased transannular Wiberg bond indices (Δ WBI). The NPA charges in 1a (Si = 0.607; B = -0.445) and in 1,3-diboretene (C = -0.593; B = 0.395) are opposite in sign due to the reversed electronegativity relationship (C = 2.5; B = 2.0; and Si = 1.8).²⁶

1,2-Disiladiboretene favors a C_2 minimum **2a** akin to **1a** with a 142.8° B³Si²B⁴Si¹ dihedral angle. Planar **2b** is the transition

state for ring flipping; the calculated barrier of 2.5 kcal/mol is twice that for the 1,3-disiladiboretene ring inversion (**1a** vs **1b**). The B–B (1.654 Å), B–Si (1.940 Å), and Si–Si (2.196 Å) bonds in **2a** are comparable to the corresponding distances in the model species H₂B–BH₂ (D_{2d} , 1.629 Å), H₂B–SiH₃ (C_s , 2.017 Å), and H₂Si=SiH₂ (C_{2h} , 2.173 Å).²⁷ The WBIs for B–B, B–Si, and Si–Si in **2a** (1.132, 1.202, and 1.347, Figure 2) are greater than 1.0, reflecting the delocalized bonding of the puckered four-membered ring electronic structure. The NPA charges in **2a** (Si = 0.443; B = -0.300), however, are smaller than in **1a**. The 6.2 kcal/mol energy difference between **1a** and **2a** is attributed to the weak π -delocalization in **2a**. Structure **2c**, with short Si–Si and B–B bonds, is a transition state, 28.8 kcal/mol higher in energy than **1a**.

The tendency of silicon to favor divalent structures, e.g. in silicon hydrides and silaboranes,^{11-15,17} prompted us to explore similar possibilities on the Si₂B₂H₄ PES. Although having short transannular Si–Si and B–B distances, structures **3a–3c** and **4a–4c** are not minima. The D_2 transition state, **3c**, collapses to the B–H–Si monobridged isomer, **5**, upon relaxation of symmetry constraints. Indeed, **5** is the second most stable Si₂B₂H₄ minimum. The B–H (1.280 Å) and H–Si (1.848 Å)



Figure 3. Natural population analysis charges and Wiberg bond indices (in parentheses) of $Si_2B_2H_4$ isomers at Becke3LYP/6-311+G** optimized geometries.

TABLE 2: Changes in Geometries, Energies, and Electronic Structures of 1,3- $C_2B_2H_4$, $C_4H_4^{2+}$, 1,3- $Si_2B_2H_4$, and $Si_4H_4^{2+}$ upon Puckering (at Becke3LYP/6-311+G**)

molecule	ΔE^a	$\Delta \Theta^b$	ΔD^c	$\Delta\sigma^{d}$	$\Delta \pi^e$	ΔWBI^{f}
$1,3-C_2B_2H_4$	-17.0	51.3	-0.369	-25.1	0.0	0.177
$C_4H_4^{2+}$	-8.7	43.7	-0.106	-15.7	0.6	0.037
$1,3-Si_2B_2H_4$	-1.2	24.2	-0.076	-5.0	3.8	0.016
$Si_4H_4^{2+}$	0.5	10.5	-0.005	0.6	3.8	-0.002

^{*a*} $\Delta E = E_{\text{puckered}} - E_{\text{planar}}$ in kcal/mol. ^{*b*} $\Delta \Theta$ is the puckering angle in degrees (ref 25). ^{*c*} ΔD is the difference in the 1,3 transannular distance (puckered – planar) in Å. ^{*d*} $\Delta \sigma = [E(b_2) - E(b_{2u})]$ at B3LYP level in kcal/mol (refer to Scheme 1 for symmetry labels). ^{*e*} $\Delta \pi = [E(a_1) - E(b_{3u})]$ at B3LYP level in kcal/mol (refer to Scheme 1 for symmetry labels). ^{*f*} $\Delta WBI = 1,3$ -WBI_{puckered} – 1,3-WBI_{planar}.

SCHEME 1



bridge bond lengths in **5** deviate significantly from the corresponding distances in B_2H_6 (1.316 Å) and in *cis*-HSi(μ -H)₂SiH (1.680 Å).²⁷ The B–H (0.733) and H–Si (0.201) WBIs quantify the B–H–Si bonding interaction (Figure 3). The B–H–Si bridge could be viewed either as a 2c–2e B–H bond hyperconjugating with the p orbital on silicon or, alternatively,

as a 3c-2e bridge polarized toward B-H. Attempts to localize the MOs of **5** using the natural bond orbital (NBO) procedure^{24a,b} result in poor descriptions, implying that the bonding is highly delocalized. Although the Si-Si distance in **5** (2.466 Å) is longer than in Si₂H₆ (2.355 Å),²⁷ the significant WBI (0.586) shows that **5** is bicyclic. Another bicyclic isomer, **6** (SiBBSi dihedral angle is 131.5°), is 10.9 kcal/mol higher in energy than **1a**. The strong B-B bonding in **6** is evident from the WBI of 0.831, with the B-B distance (1.735 Å) close to the calculated B-B bond length in B₂H₄ (1.744 Å, D_{2h}).²⁷ A σ lone pair orbital on each silicon and 3c-2e B-H-Si bonding describe part of the electronic structure of **6**. The extent of multicenter bonding is quantified by the WBI data (Figure 3).

The B-H-Si monobridged isomer **7** with planar tetracoordinate boron²⁸ is related via a B-H wagging motion to the nearly isoenergetic $C_{2\nu}$ transition state **8a**.^{7b} The all-planar alternative **8b** is a second-order saddle point. The molecular orbitals of **7** include a lone pair on Si and cyclic π -delocalization on the BSiB ring and fail to localize to a Lewis description in terms of NBOs due to the strongly delocalized electronic structure.

As is shown by the significant WBIs, isomer 9 possesses a covalently bound *planar pentacoordinate boron* with unsymmetrical and polarized B–H–Si and B–H–B bridges (Figure 3). The HOMO corresponds to an Si–B–Si π orbital. In addition, a σ lone pair orbital on each silicon and a 3c–2e BBSi bridge is included in the electronic structure description. No Lewis structure is appropriate. When both the bridging hydrogens in 9 become Si–H and B–H terminal bonds, as in 10, the energy increases by 4.0 kcal/mol. This suggests that the B–H–Si and B–H–B bonds in 9 contribute to the stability of the molecule. The molecule orbitals of 10 feature a lone pair orbital on Si and SiBSi π -delocalization.

The symmetrically hydrogen bridged cyclic structure **11a** possesses two imaginary frequencies, while **11b**, with the Si– H–Si fragment perpendicular to HB–H–BH, is a minimum. Consequently, the B–B and Si–Si distances in **11b** are shortened, but the B–Si bonds are elongated relative to **11a**. The electronic structure of **11b** includes two lone pair MOs and triangulated multicenter bonding patterns. The transition structure **11c** corresponding to the rotation of the –BH₂ moiety is 2.2 kcal/mol above **11b**. Structure **12**, with a symmetrical Si(μ -H)₂Si bridge, is a higher order saddle point. In the transition structure **13**, only the bonding combination of the lone pair orbitals is occupied, while the antibonding combination is replaced by the Si–Si π orbital instead.

Interest in the B₂Si- and Si₂B- cyclic structures stem from the corresponding carboranes.⁸ Krogh-Jesperson et al.²⁹ predicted that 2,3-diboramethylenecyclopropane (2,3-C₂B₂H₄) favors an anti-van't Hoff (perpendicular) over a planar stereochemistry (although neither was found to be a minimum).^{8b} Likewise, 14a and 14b represent the anti-van't Hoff and van't Hoff stereochemistry among $Si_2B_2H_4$ structures. While **14a** is favored by 38.2 kcal/mol over 14b, neither is a minimum (Table 1). However, **15a**, with an exocyclic $-BH_2$ substituent on the Si₂B ring and a planar pentacoordinate boron, is a minimum. This isomer can be related to the most stable isomer of $B_3H_5^{30}$ considering the isolobal analogy between H-BH₂ and :SiH₂.¹³ The planar conformer, 15b, is a higher order stationary point. In sharp contrast to the carboranes,^{8,29} 15a prefers bridged B-H-Si bonds over terminal Si-H bonds. The Si-H distance (1.615 Å) is shorter and the B-H (1.393 Å) longer compared to normal bridge bonds,²⁷ but the MO pattern accounts for the B-H-Si description supported further by the WBIs (Figure 3). The $C_{2\nu}$ structures 16 and 17, with symmetrical B-H-B and Si-H-Si bridges, are higher order stationary points and hence not discussed further. Thus, all the hydrogen-bridged isomers (Figure 3) exhibit three-center two-electron bonding involving boron and silicon. Such 3c-2e bonding involving three different elements is rare, since the necessary balance in the electronic structure is not often achievable.³¹

Of all the acyclic minima, 18, with divalent silicons and similar to B_2H_4 (D_{2d}), has the lowest relative energy (38.2 kcal/ mol, Table 1). The hyperconjugative interactions between the Si-B bonds and the boron p orbitals are reflected in the short B-B distance (1.615 Å compared to 1.744 Å in D_{2h} B₂H₄) and the WBI greater than 1.0 (Figure 3). Boryl-substituted disilavinylidene 19a and 19b are not minima. Similarly, 20, analogous to a transition state for the interconversion of 1,2- to 1,3-diboretene on the C₂B₂H₄ PES,⁸ is a higher order saddle point. The linear structures 21a and 21b also are not minima. The corresponding carboranes were predicted to be close in energy to 1,3-diboretene.⁸ Substitution of the hydrogen by an $-SiH_2$ group in B_2H_2 leads to isomers **22a,b**. The B-B (1.473) Å) and B-Si (1.864 Å) bonds in planar 22a are comparable to that in HB=BH (1.522 Å) and H₂Si=BH (1.824 Å).²⁷ With orthogonal -SiH₂ groups, 22b is favored by 25.6 kcal/mol over 22a. The hydrogen-bridged quasi linear structures 23a and 23b are high-energy saddle points.

Conclusions

In contrast to the C₂B₂H₄ PES,^{8,29} a much larger number of low-energy Si₂B₂H₄ minima (**1a**, **2a**, **5–7**, **9**, and **10** are within 12 kcal/mol) has been found. The most stable isomer is 1,3disiladiboretene (**1a**); the puckered four-membered ring structure is similar to that of 1,3-diboretene.^{5,8} However, the computed inversion barrier via the planar 2π aromatic transition state is only 1.2 kcal/mol for **1a**, much lower than the related carborane barrier (17.0 kcal/mol) at the B3LYP level. B-H-Si bridged isomers 5 and 7, with divalent silicons, are close in energy to 1a. Isomer 9, with a planar pentacoordinate boron, is only 7.3 kcal/mol less stable than 1a. Isostructural silaborane analogs, 2a, 8a,b, 14a,b, 20, 21a,b, and 22a,b, of the corresponding carboranes are high-energy structures and/or are characterized to be higher order stationary points.

The striking feature of the more stable isomers is their remarkable tendency to possess B-H-Si bridge bonds; C-H-B 3c-2e bonds do not exist among the corresponding carboranes $(C_2B_2H_4)$. The PES of $Si_2B_2H_4$ further demonstrates that isomers with σ lone pairs on silicon and hydrogen bridging (5–7, 9, 11b, 15a) are favorable. This contrasts with the preference for multiply bonded structures (cf. 13, 21b) exhibited by the analogous carboranes, $C_2B_2H_4$.⁸ Both levels of theory (Becke3LYP/6-311+G** and MP2/6-31G*) employed here give similar results.

The synthesis of several $C_2B_2R_4$ compounds,^{6,9} after their theoretical predictions,^{5,29} suggests that experimental efforts toward preparing derivatives of $Si_2B_2H_4$ isomers or gas phase reactions involving silicon hydrides and boranes should be rewarding. Furthermore, examples of H-bridged carborane derivatives^{9e} stimulate the search for derivatives of the lowenergy H-bridged $Si_2B_2H_4$ isomers (for example **5**, **7**, and **9**), with only the terminal hydrogens replaced by bulky substituents.

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